

Beyond MC: Building a Complete Model of Multilepton Events at CDF

UCSD Brownbag Meeting
6th July 2007

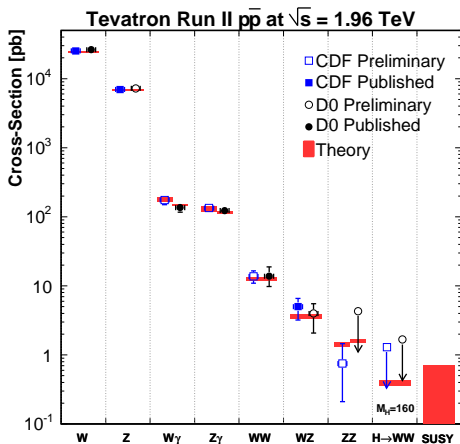
- Introduction
- Correcting and Scaling MC
- Data Driven Fake Calculation

Introduction

Same framework/calculations used for 2, 3, and 4 lepton channels

Physics Yield

- First 5σ observation of WZ and anomalous couplings ($ll + \cancel{E}_T$)
- First 3σ evidence ZZ (4 charged-lepton and $ll + \cancel{E}_T$)
- Most precise WW cross-section, best $H \rightarrow WW$ limits, working on anomalous couplings ($ll + \cancel{E}_T$)
- $ZZ \rightarrow lljj$: Limit anomalous couplings at high- p_T , should beat LEP limits



A flexible framework pays off...

Acceptance and Efficiency Maximized

Nine lepton types

- Tight + Loose Central Electron
- Forward Electron with + without a silicon track
- Muon with hits in central+”extended” muon chamber
- Muon as a minimum ionizing particle in the central + forward calorimeter
- Muon or Electron as an isolated track pointing at a calorimeter track

Four trigger paths

- Central Electron
- Forward Electron with \cancel{E}_T
- Central Muon
- Extended Muon

Need to model combinations of 2, 3, and 4 of these

The Master Formula: Calculating an Expected Yield

The contribution of a process ($Z \rightarrow ee, WW, t\bar{t}, \dots$) to a selection is

$$N_{\text{exp}} = \underbrace{\sigma \times \mathcal{B} \times \epsilon_{\text{mc-filter}} \times \mathcal{L}}_{\substack{\text{Expected events} \\ \textit{produced} \text{ in data}}} \times \underbrace{\frac{N_{\text{reco}}}{N_{\text{gen}}} \times S_{\text{id}} \times \epsilon_{\text{trg}}}_{\text{Efficiency} \times \text{Acceptance}}$$

where

σ	Process cross-section
\mathcal{B}	Branching fraction
$\epsilon_{\text{mc-filter}}$	Presimulation Monte Carlo filter efficiency
\mathcal{L}	Data sample luminosity

N_{reco}	Event reconstructed in the MC sample
N_{gen}	Event generated in the MC sample
$S_{\text{lep}} \equiv \frac{\epsilon_{\text{lep,data}}}{\epsilon_{\text{lep,MC}}}$	Lepton Id efficiency scale factor
ϵ_{trg}	Trigger efficiency (simulation not used in CDF)

- Lots of other things to correct: jet energy scale, track momentum, calorimeter energy (leakage)....

Complication I

s_{lep} and $\epsilon_{\text{trigger}}$ depend on the kinematics of the each event

- In CDF, even L depends on the leptons in the event
 - detectors must be labeled good \Rightarrow good run lists (lots of bookkeeping)
- Event by event corrections:

$$N_{\text{exp}} = \sum_{i \in \text{MC sample}} sf_i$$

where

$$sf_i = \frac{\sigma \mathcal{B} \epsilon_{\text{mc-filter}} \mathcal{L}_i}{N_{\text{gen},i}} s_{\text{lep},i} \epsilon_{\text{trg},i}$$

then

\mathcal{L}_i	Data sample luminosity for a good run list
$N_{\text{gen},i}$	Event generated in the MC sample for a good run list
s_{lep}	$= \prod_{l \in \text{leptons}} s_{\text{lep},l}(p_T, l, \eta_l)$
ϵ_{trg}	Trigger efficiency calculation more complicated...

Complication II: Trigger Efficiencies

- We combine multiple trigger lines together to get the maximum efficiency
 - The efficiency for a lepton category to fire a particular trigger is determined separately (beyond the scope of this talk)
- Because we use the **logical OR of several triggers** these efficiencies need to be combined
- Simple example: two leptons, one independent line for each

$$\epsilon_{\text{trg}} = 1 - (1 - \epsilon_1)(1 - \epsilon_2)$$

- We also use a trigger that requires a forward electron and missing energy, no do central muon + two forward electrons

$$\epsilon_{\text{trg}} = 1 - (1 - \epsilon_{\mu}) \left[1 - \epsilon_{\cancel{E}_T} (1 - (1 - \epsilon_{e1})(1 - \epsilon_{e2})) \right]$$

- Prescales are similar, but may be correlated between triggers causing more complication

Determining a lepton efficiency scale factor

The General Idea

- measure the ratio between a very loose “probe selection” and the full selection in data and MC
- probe efficiencies are measured elsewhere, and are generally high and well modeled, e.g.
 - the chance for an electron to produce a reconstructed shower in the EM calorimeter
 - the chance for a muon to produce a track (may not be that well modeled in forward region)

Determining a lepton efficiency scale factor

Procedure

- 1 Select Z candidates using a “tag” lepton plus a lepton that either passes or fails the selection being studied
 - T = tagged
 - S = selected
 - F = passes probe selection, but not full selection
- 2 Calculate yields for the passed N_{TS} and failed N_{TF} , use Z mass sidebands to subtract background
- 3 Calculate efficiencies:
 - if tag is a non-overlapping category with the selected, it's simple:

$$\epsilon_{probe \rightarrow selected} = \frac{N_{TS}}{N_{TS} + N_{TF}}.$$

- if tag and selection are the same (i.e. $T=S$), then the combinatorics is a bit trickier

$$\epsilon_{probe \rightarrow selected} = \frac{2N_{TT}}{2N_{TT} + N_{TF}}.$$

Monte Carlo cannot be trusted for fake leptons

- Fakes are due to fluctuations of the shower shapes in the non-perturbative region of QCD (isolation, low multiplicity high- p_T particles,...)

Strategy

- extract a “fake rate” from multi-jet QCD data, has few real leptons
- apply it to a sample with less leptons than the signal mode
 - E.g predict lepton+fake lepton from the single lepton sample applying a fake rate
- It's an extrapolation from non-lepton like jets to lepton like jets
- Reduce the “distance” of the extrapolation, by extrapolating from “lepton-like jets” instead of all jets
 - The popular wisdom “jet is jet is jet” is not true, **some are identified as leptons!**

We call the objects we extrapolate from “denominators” (i.e. the denominator of the fake rate definition)

- Based on the same objects as the identified leptons
 - Correlation of the measured energies is straight forward
 - Occurance of the base objects may be subtle
 - E.g. adding a track χ^2 cut to the muon categories supresses mismeasured tracks which are very sample dependent
- Fiducial cuts
- Loose isolation cut

Data driven jet/QCD fake rate: Procedure Outline

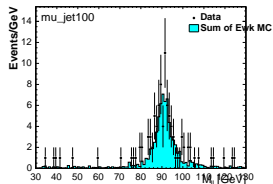
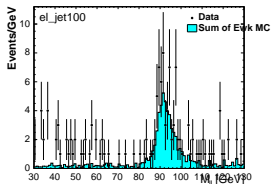
1 Calculate in the jet triggered data

$$\text{Fake Rate} = \frac{\text{\#Identified Leptons}}{\text{\#Denominator Objects}}$$

- Leading jet vetoed to reduce trigger bias

2 Correct for W and Z contamination using Monte Carlo

- Slow jet trigger turn-on curve hard to model, check with Z peak in jet triggered data

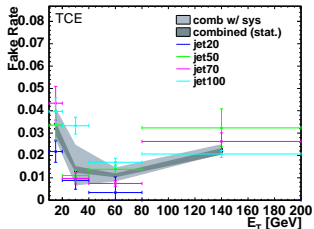


- Also number of events with a Z plus a 100 GeV jet may not be that well modeled

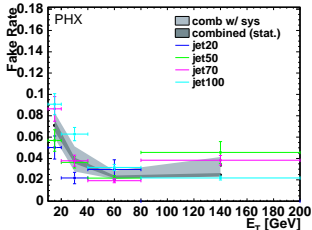
- 3 Scale data /+“denominator object” events by measured fake rate
 - Loop over /+denom events
 - Treat denom as if it is a second lepton for selections and plotting
 - If two denoms consider each separately (unless you want the double fake background)
- 4 Use MC to correct for event that triggered on the fake ...
 - An actual fake should fire the trigger at the same rate as a real lepton
 - Otherwise we could use the trigger to suppress the fakes
 - Denominator objects are less lepton like than actual fakes, so the trigger is different
 - Use the ratio of non-triggerable to triggerable from MC to correct:

$$B_{Z \rightarrow \text{nontriggerable}} = B_{Z \rightarrow \text{triggered}} \frac{N_{Z \rightarrow \text{nontriggerable} + \text{triggerable denominator object}}^{MC}}{N_{Z \rightarrow \text{triggerable} + \text{denominator object}}^{MC}}$$

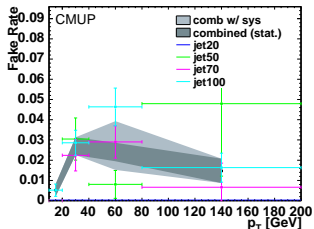
Data driven jet/QCD fake rate: Example Plots



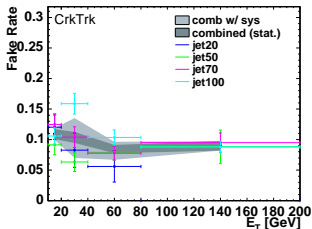
Tight Central Electron



Forward Electron w/Track

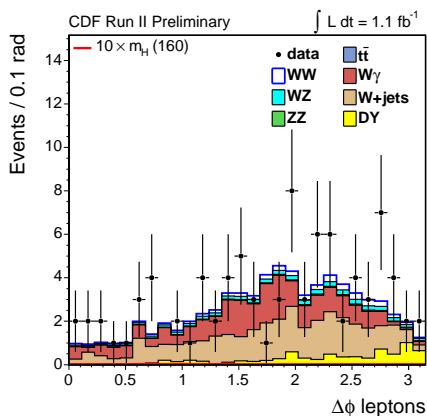


Central Muon

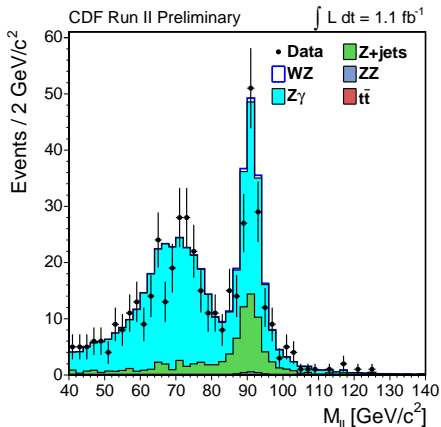


Track in Crack

Cross-checks of fake backgrounds



Same-sign $II + \cancel{E}_T$

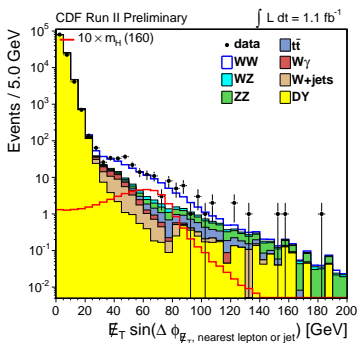


Tripletons low \cancel{E}_T

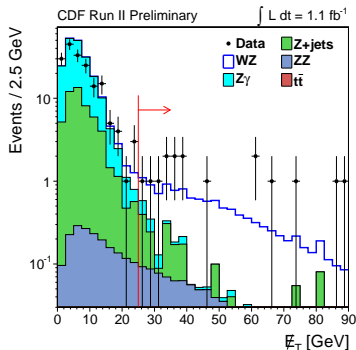
- Systematics on fake calculation are estimated to be $\approx 25\%$ based on the variations due to jet samples
- Variation in the isolation cut of the denominator is also studied

Summary

- Now look at the beautiful signals:



WW ... (okay no Higgs)



WZ

- There are lots of details to deal with
- Details can be put in a generalized framework